

Lecture at the Workshop Labex DAMAS What can we learn from diffraction on polycrystal behavior?

Laber AMAS

Labex DAMAS, 18 November, 2015, LEM3-Metz

EBSD based GND densities in severe plastic deformed metals -The role of geometrically necessary dislocations in the plastic behavior of pure copper at extreme large strains

Laszlo S. Toth

*Laboratoire d'Etude des Microstructures et de Mécanique des Matériaux, 'LEM3' *Laboratory of Excellence on Design of Alloy Metals for low-mAss Structures, 'DAMAS'

Université de Lorraine, Metz, France

Contributions by: **C.F. Gu, *B. Beausir, *J-J Fundenberger, ***M. Hoffman

School of Aerospace, Mechanical & Manufacturing Eng, RMIT University, Melbourne, VIC 3083, Australia *School of Materials Science and Engineering, UNSW, Sydney, NSW 2052, Australia









The role of dislocations in polycrystal deformation

Geometrically necessary dislocation measurements

Modeling of polycrystal deformation

Relation between disorientation distributions and GNDs

Conclusions



Axis of the bar



The role of dislocations in polycrystal deformation

Two types of dislocations

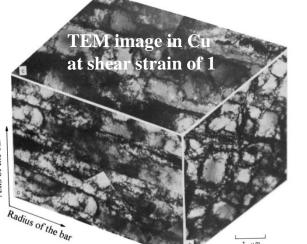


Statistical dislocations

$$\rho_{total} = \rho_{stat.} + \rho_{GND}$$

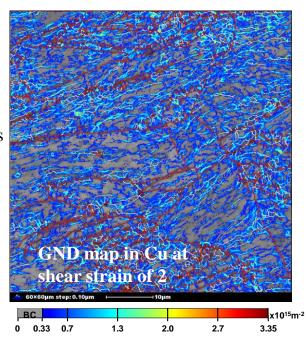
Geometrically necessary dislocations

- → To achieve imposed deformation
- → For strain hardening
- → No orientation gradient
- → Patterning



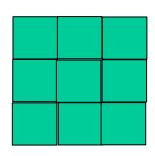
GNDs are needed in crystals of a polycrystal to account for deformation heterogeneities at mesoscopic level.

- →For deformation gradients
- → Orientation differences are produced
- → Patterning





GND from lattice curvature



$$\rho_{GND} = \frac{\theta}{bd}$$

$$\alpha_{12}, \ \alpha_{13}, \ \alpha_{21}, \ \alpha_{23}, \ \alpha_{33}$$

$$\rho_{GND}^{(2D)} = \frac{1}{b} \sqrt{\alpha_{12}^2 + \alpha_{13}^2 + \alpha_{21}^2 + \alpha_{23}^2 + \alpha_{33}^2}$$

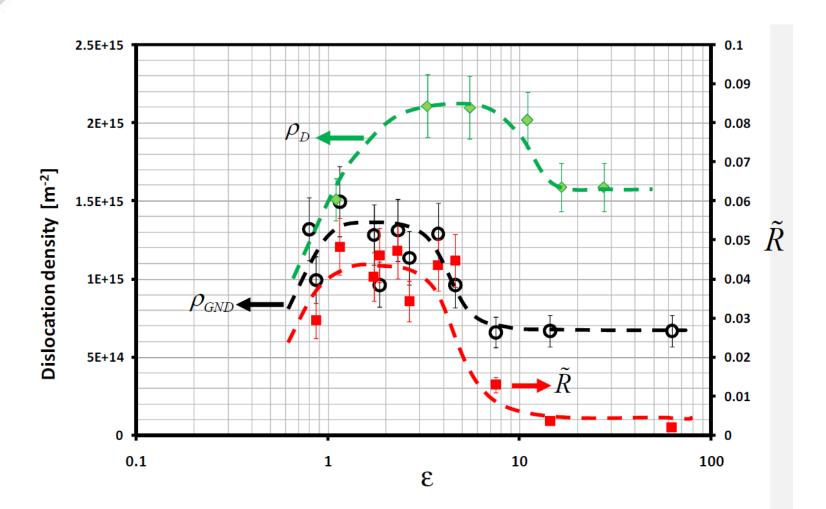
$$\rho_{GND} = 3\rho_{GND}^{(2D)} / \sqrt{5}$$







GND from EBSD - lattice curvature → 2D Ney GND tensor → isotropic assumption → 3D Ney GND tensor → scalar norme





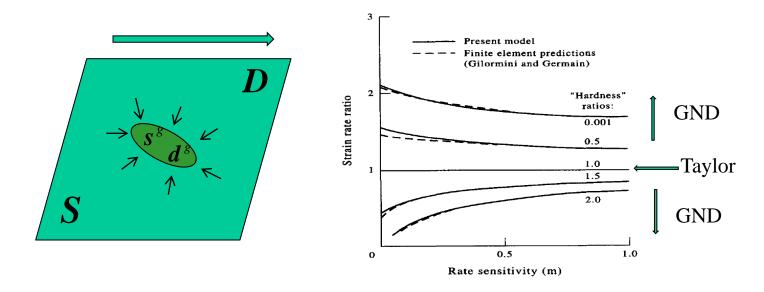


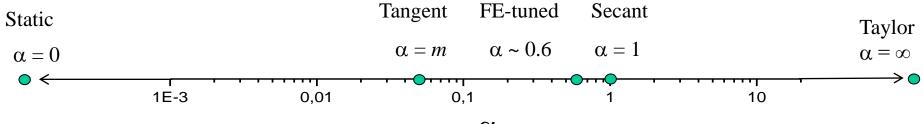


A. Molinari, L.S. Toth, Tuning a self consistent viscoplastic model by finite element results, Part I: Modelling, *Acta Metallurgica et Materialia*, 42, 2453-2458, 1994.

Localization equation:

$$\mathbf{s}^g - \mathbf{S} = \alpha \left(\mathbf{\Gamma}^{sgg-1} + \mathbf{A}^s \right) \left(\mathbf{d}^g - \mathbf{D} \right)$$









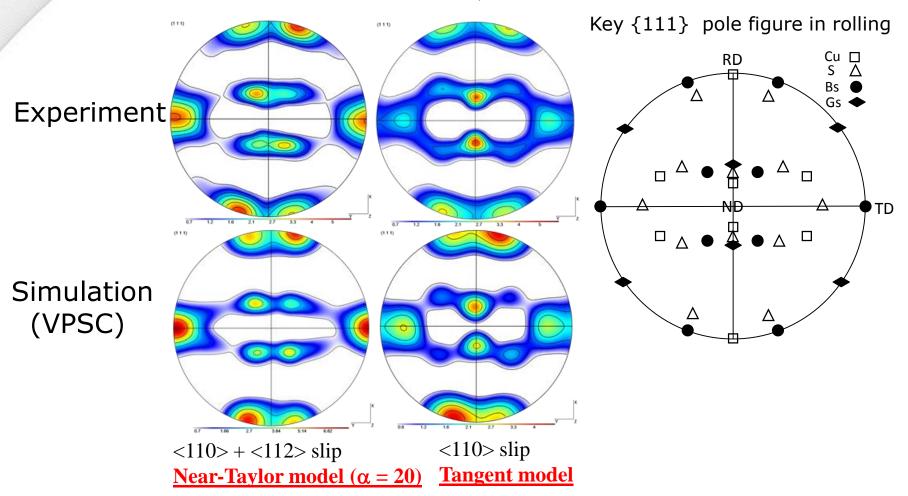
Rolling texture simulations

UFG rolling

11.2% Cu, 39% S and 34% Bs

CG rolling

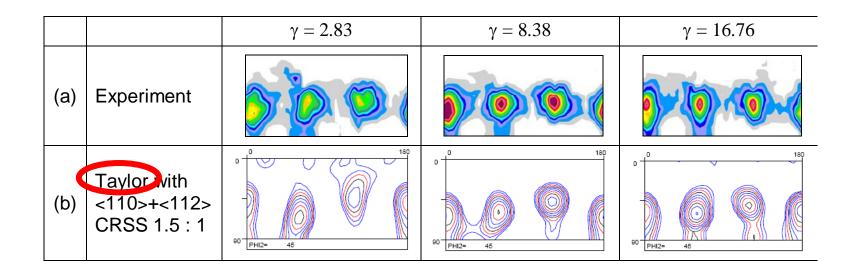
17% Cu, 41% S and 17% Bs







High Pressure Torsion (HPT) of nano-polycrystalline Pd-10%Au



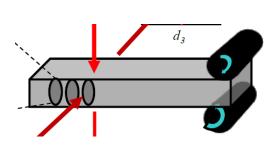
Electro-deposited, initial grain size: 14 nm, coarsening to 24 nm, refinement to 20 nm, 2-3 dislocations per grain.



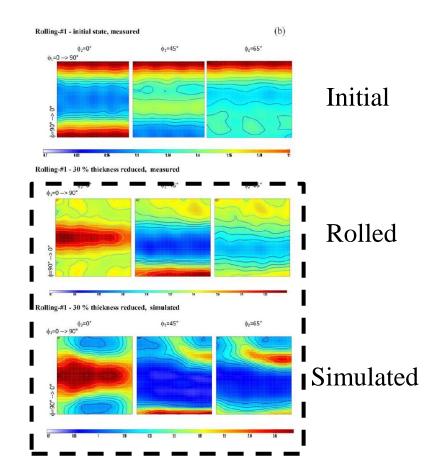


Rolling of nano-polycrystalline Ni-18%Fe

Electro-deposited, initial grain size: 20-40 nm, elongated parallel to <100> axis











Conclusion on polycrystal modelling:

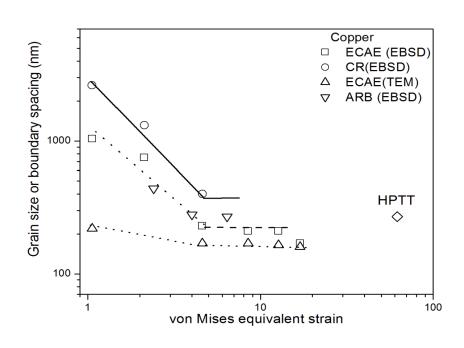
Deformation mode is grain size dependent.

Large grain size: Tangent model – strain heterogeneities

Ultra fine grain size: Near Taylor model, <111> and partial slip

Nano-polycrystal: Taylor model, <111> and partial slip

During severe plastic deformation: deformation mode is changing due to decrease in grain size:







Example of grain fragmentation in severe plastic deformation

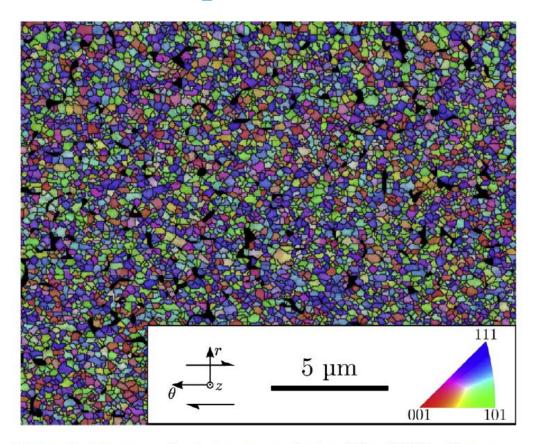


Figure 2. Inverse pole figure map obtained by FPSD after room temperature HPTT of Cu in the steady state after $\gamma = 108$ shear strain.

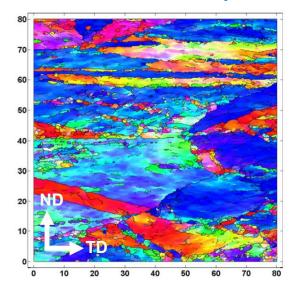


How can we connect polycrystal deformation mode to GNDs?

GNDs appear inside grains because of the potential incompatibilities between neighbouring grains.

Examine then the neighbour characteristics in deformed polycrystals!

→ Disorientations measured by EBSD



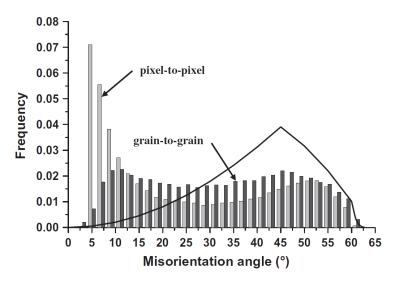


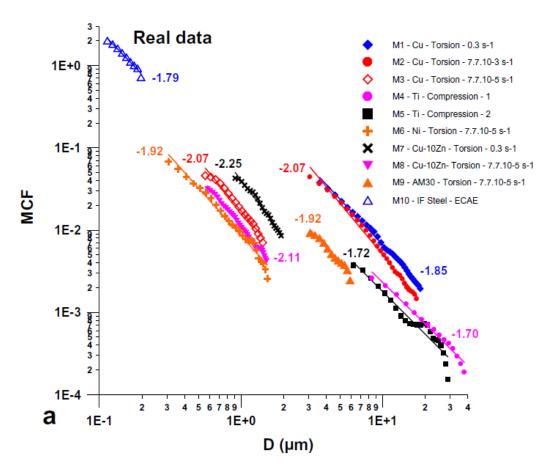
Fig. 1. Comparison between pixel-to-pixel (light gray) and grain-to-grain (dark gray) misorientation distributions (correlated) after three passes of Cu in ECAP on the TD plane. The theoretical Mackenzie distribution (uncorrelated) is plotted by the solid black line.

L.S. Toth, B. Beausir, C.F. Gu, Y. Estrin, N. Scheerbaum, C.H.J. Davies, Effect of grain refinement by severe plastic deformation on the next-neighbour misorientation distribution, *Acta Materialia*, 58 (**2010**) 6706-6716



Disorientation correlation

Probality density at maximum disorientation – vs distance between neighbor grains for plastically deformed materials

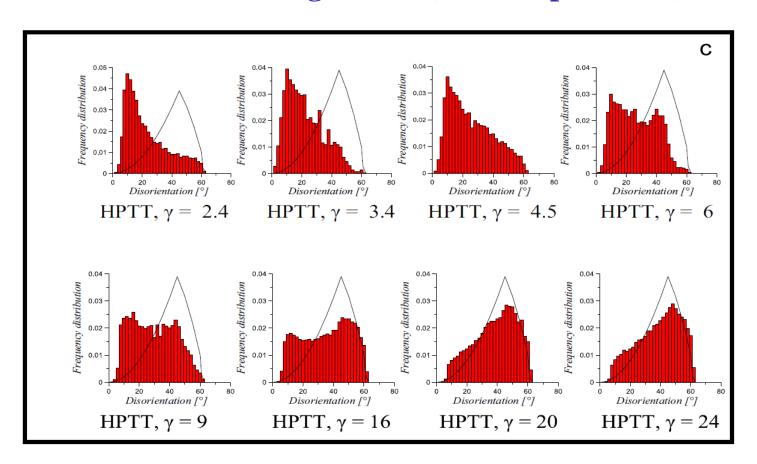


B. Beausir, C. Fressengeas, N. Gurao, Laszlo S. Toth, Satyam Suwas, Spatial correlation in grain misorientation distribution, *Acta Materialia*, 57 (2009) 5382-5395





Evolution of correlated disorientation angle distribution between first neighbours (Al – simple shear)





Evolution of correlated and non-correlated disorientation angle distribution between first neighbours (SPD of Cu)

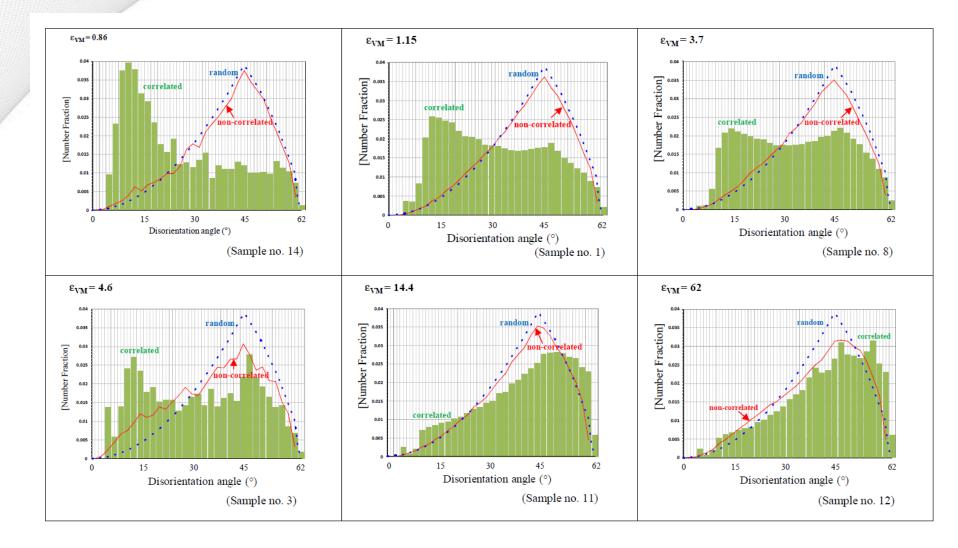


Fig. 2. Disorientation distributions between neighbor grains as a function of large strains for commercially pure copper





The Idea

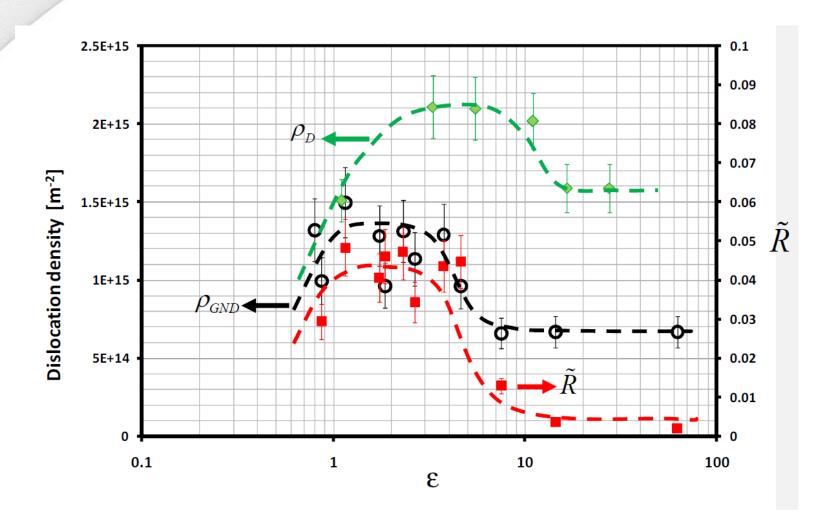
The quantity of GNDs is proportional to the difference between the correlated and non-correlated disorientation distributions:

$$\tilde{R} = \sqrt{\int [N(g) - R(g)]^2 dg}$$
correlated non-correlated

$$\rho_{GND} \sim \tilde{R}$$

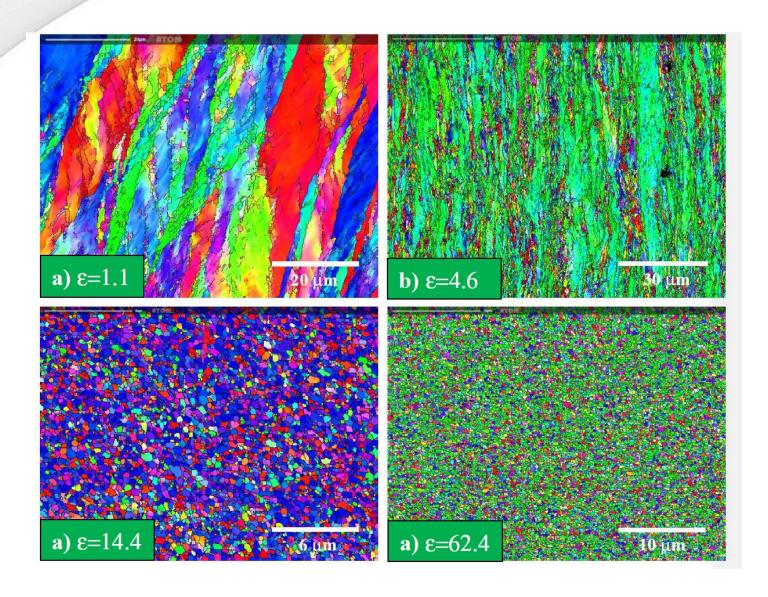






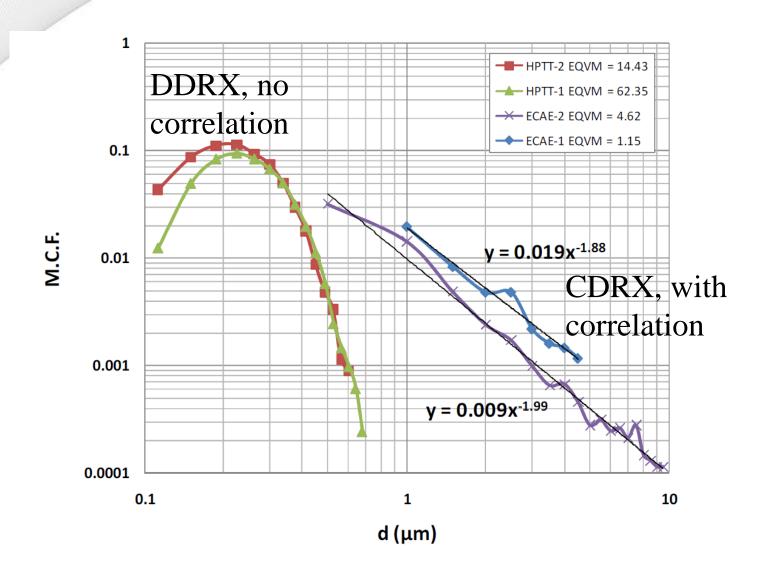


Evolution of the microstructure (SPD of Cu)





Probality density at maximum disorientation – vs distance between neighbor grains for plastically deformed materials







Conclusions

1. GND density is initially rapidly increasing, reaches a maximum at strains of about 2-3 and then decreases. Radical decrease leads to approaching the Taylor type behavior of the polycrystal. Nano-polycrystalline materials deform by the Taylor mode.

2. The difference between the correlated and non-correlated disorientation distributions of the deformed polycrystal correlates with the GND density.